

Loading image file: D:\Program Files\Reduce\lib\psl\red\reduce.img
 Reduce (Free PSL version, revision 5368), 24-Jun-2020 ...

```
1: in "C:\Users\franc\IdeaProjects\Run-REDUCE-FX\test\symbols_and_functions.tst";
% Symbolic constants:
{infinity, pi, Euler_gamma, golden_ratio};
```

$$\left\{ \infty, \pi, \gamma, \frac{\sqrt{5}+1}{2} \right\}$$

```
% Greek letters:
{alpha, beta, gamma, delta, epsilon, zeta, eta, theta, iota, kappa, lambda, mu};
```

$$\{\alpha, \beta, \gamma, \delta, \epsilon, \zeta, \eta, \theta, \iota, \kappa, \lambda, \mu\}$$

```
{nu, xi, omicron, pi, rho, sigma, tau, upsilon, phi, chi, psi, omega};
```

$$\{\nu, \xi, o, \pi, \rho, \sigma, \tau, v, \phi, \chi, \psi, \omega\}$$

```
{!Alpha, !Beta, !Gamma, !Delta, !Epsilon, !Zeta, !Eta, !Theta, !Iota, !Kappa, !Lambda, !Mu};
```

$$\{A, B, \Gamma, \Delta, E, Z, H, \Theta, I, K, \Lambda, M\}$$

```
{!Nu, !Xi, !Omicron, !Pi, !Rho, !Sigma, !Tau, !Upsilon, !Phi, !Chi, !Psi, !Omega};
```

$$\{N, \Xi, O, \Pi, P, \Sigma, T, \Upsilon, \Phi, X, \Psi, \Omega\}$$

```
% Elementary transcendental functions:
{exp(x), log(x), log10(x), logb(x, b), sqrt(x), factorial(x)};
```

$$\left\{ e^x, \log(x), \log_{10}(x), \log_b(x), \sqrt{x}, x! \right\}$$

```
{sin(x), cos(x), tan(x), csc(x), sec(x), cot(x)};
```

$$\{\sin(x), \cos(x), \tan(x), \csc(x), \sec(x), \cot(x)\}$$

```
{sinh(x), cosh(x), tanh(x), csch(x), sech(x), coth(x)};
```

$$\{\sinh(x), \cosh(x), \tanh(x), \operatorname{csch}(x), \operatorname{sech}(x), \operatorname{coth}(x)\}$$

```
{asin(x), acos(x), atan(x), acsc(x), asec(x), acot(x)};
```

$$\{\arcsin(x), \arccos(x), \arctan(x), \operatorname{arccsc}(x), \operatorname{arcsec}(x), \operatorname{arccot}(x)\}$$

```
{asinh(x), acosh(x), atanh(x), acsch(x), asech(x), acoth(x)};
```

$$\{\operatorname{arcsinh}(x), \operatorname{arccosh}(x), \operatorname{arctanh}(x), \operatorname{arccsch}(x), \operatorname{arcsech}(x), \operatorname{arcoth}(x)\}$$

```
% Gamma, Beta and related functions:
{Gamma(z), Beta(a, b), psi(z), polygamma(n, z), iGamma(a, z), iBeta(a, b, x), dilog(z),
  Pochhammer(a, n), binomial(m, n), zeta(s)};
```

$$\left\{ \Gamma(z), \frac{\Gamma(a)\Gamma(b)}{\Gamma(a+b)}, \psi(z), \psi^{(n)}(z), P(a, z), I_x(a, b), \operatorname{Li}_2(z), (a)_n, \binom{m}{n}, \zeta(s) \right\}$$

```
load_package specfn;
```

```
% Integral functions:
```

```
{Ei(x), li(x), Si(z), Ci(z), Shi(z), Chi(z), erf(z), erfc(z), Fresnel_S(z), Fresnel_C(z)};
```

$$\{Ei(x), Ei(\log(x)), Si(z), Ci(z), Shi(z), Chi(z), erf(z), -erf(z) + 1, S(z), C(z)\}$$

```
% Airy, Bessel and related functions:
```

```
{Airy_Ai(z), Airy_Bi(z), Airy_AiPrime(z), Airy_BiPrime(z), BesselJ(nu, z), BesselY(nu, z),  
BesselI(nu, z), BesselK(nu, z), Hankel1(nu, z), Hankel2(nu, z)};
```

$$\{Ai(z), Bi(z), Ai'(z), Bi'(z), J_\nu(z), Y_\nu(z), I_\nu(z), K_\nu(z), H_\nu^{(1)}(z), H_\nu^{(2)}(z)\}$$

```
% Struve, Lommel, Kummer, Whittaker and spherical harmonic functions:
```

```
{StruveH(nu, z), StruveL(nu, z), Lommel1(mu, nu, z), Lommel2(mu, nu, z),  
KummerM(a, b, z), KummerU(a, b, z), WhittakerM(kappa, mu, z), WhittakerW(kappa, mu, z),  
SphericalHarmonicY(3, 2, theta, phi), SolidHarmonicY(3, 2, x, y, z, r2)};
```

$$\left\{ \mathbf{H}_\nu(z), \mathbf{L}_\nu(z), s_{\mu,\nu}(z), S_{\mu,\nu}(z), M(a, b, z), U(a, b, z), \frac{z^{\frac{2\mu+1}{2}} M\left(\frac{-2\kappa+2\mu+1}{2}, 2\mu+1, z\right)}{e^{\frac{z}{2}}}, \right. \\ \left. \frac{z^{\frac{2\mu+1}{2}} U\left(\frac{-2\kappa+2\mu+1}{2}, 2\mu+1, z\right)}{e^{\frac{z}{2}}}, \frac{\sqrt{105} \cos(\theta) \sin(\theta)^2 \left(\cos(\phi)^2 + 2 \cos(\phi) \sin(\phi) i - \sin(\phi)^2\right)}{4 \sqrt{\pi} \sqrt{2}}, \right. \\ \left. \frac{\sqrt{105} z (2 i x y + x^2 - y^2)}{4 \sqrt{\pi} \sqrt{2}} \right\}$$

```
% Classical orthogonal polynomials:
```

```
{JacobiP(n, alpha, beta, x), GegenbauerP(n, lambda, x), ChebyshevT(n, x), ChebyshevU(n, x),  
LegendreP(n, x), LegendreP(n, m, x), LaguerreP(n, x), LaguerreP(n, alpha, x), HermiteP(n, x)};
```

$$\left\{ P_n^{(\alpha, \beta)}(x), C_n^{(\lambda)}(x), T_n(x), U_n(x), P_n(x), P_n^{(m)}(x), L_n(x), L_n^{(\alpha)}(x), H_n(x) \right\}$$

```
;
```

```
end;
```

```
2:
```